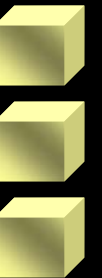


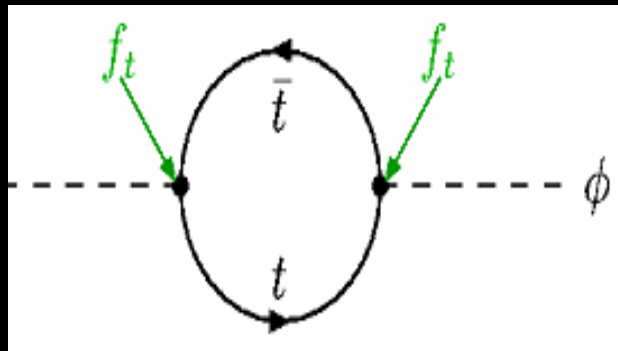
# *Search for SUSY with The ATLAS Detector at the LHC*

- Motivation
- Phenomenology
- Model Driven
- Inclusive Searches
- Event Reconstruction
- RPV



# Radiative Corrections to the Higgs Boson Mass

Corrections to the Higgs-boson mass diverge quadratically



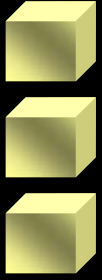
$$\delta m_{\phi,t}^2 = \frac{3f_t^2}{8\pi^2} \Lambda^2 + \mathcal{O}(\Lambda/m_\phi)$$

Where  $\Lambda$  is the momentum cutoff in the loop (GUT or Plank scale)

$$\rightarrow M_H \sim 10^{16} - 10^{18} \text{ GeV}$$

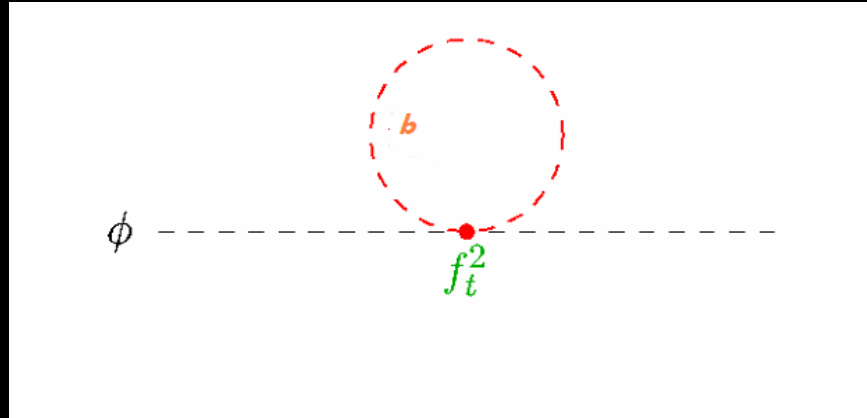
But the SM requires that  $M_H \leq 1000 \text{ GeV}$

So we need fine tuning of  $> 10^{30}!!!!$



# *Possible cancellation*

A bosonic loop like:

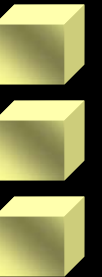


$$\delta m_{\phi, \tilde{t}}^2 = -\frac{3f_t^2}{8\pi^2} \Lambda^2 + \dots$$

fermionic

$$\delta m_{\phi, t}^2 = \frac{3f_t^2}{8\pi^2} \Lambda^2 + \mathcal{O}(\Lambda/m_\phi)$$

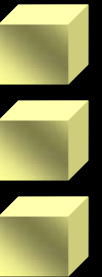
So bosonic and fermionic loops cancel each other

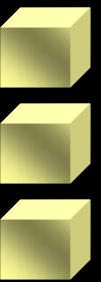
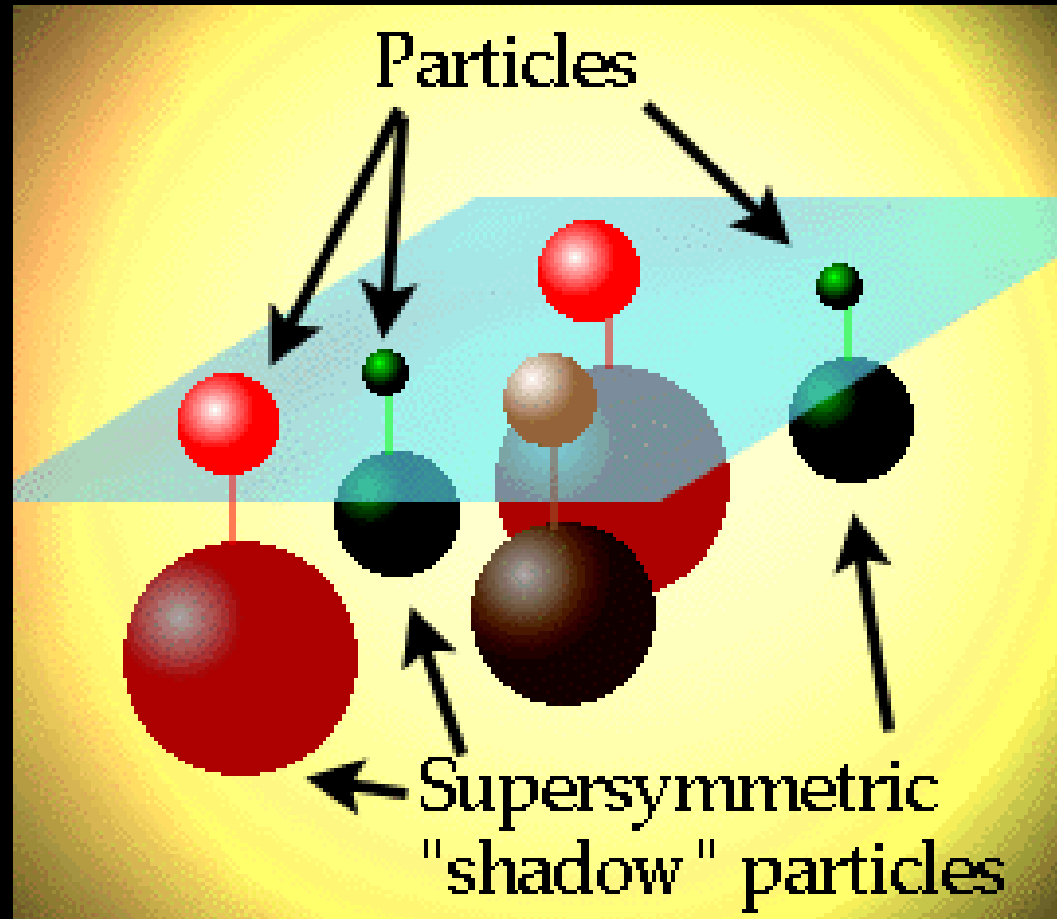
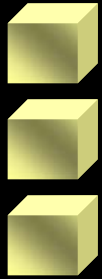




# *The Supersymmetric Solution*

- Postulate symmetry between fermions-bosons  
fermions  $\leftrightarrow$  bosons
- SUSY: “To every fermionic degree of freedom corresponds a bosonic degree of freedom”.
- So, a SM fermion acquires two super-partners  
– e.g. u-quark  $\rightarrow$  s-tops:  $u_R$  &  $u_L$
- One must have two Higgs doublets  $\rightarrow$  5 Higgs bosons (h,H,A, $H^+$ , $H^-$ )
- The Fermionic counterparts of the Higgs bosons and gauge bosons carry the same Quantum number and mix





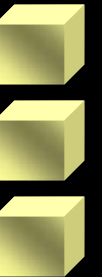


# *The Fermionic SUSY sector*

The supersymmetric partners of the 2 charged Higgs boson mix with those of the  $W^+$  and  $W^-$  to give two **charginos**. Similarly, the supersymmetric partners of the  $Z$ ,  $h$ ,  $H$ ,  $A$  and photon mix to give rise to four **neutralinos**.

$H^+$	}	$\chi_{1^\pm}$
$W^+$		
$H^-$		
$W^-$		
		Chargino

$Z^0$	}	$\chi_1^0$
$h^0$		
$H^0$		
$A^0$		
$\gamma$		
		neutralino






# *SUSY Breaking*

SUSY must be broken otherwise the supersymmetric particles would already be seen.

The breaking must be done in such a way that the cancellation of divergencies still works → supersymmetric particles must be relatively light  $O(1 \text{ TeV})$ .

The breaking determines the phenomenology and the way SUSY will exhibit itself in future experiments





## *R or not*

The most general SUSY lagrangian contains 3 terms:

$$+ \frac{1}{2} \lambda_{ijk} LL\bar{E} + \lambda'_{ijk} LQ\bar{D} + \frac{1}{2} \lambda''_{ijk} \bar{U}\bar{D}\bar{D} + \kappa LH_u$$

Which are problematic and do not preserve the normal QN. Two of them can give rise to proton decay which is experimentally bounded very strongly. A way to avoid this problem is to introduce a new quantum number, R, which should be conserved:

$$R \equiv (-1)^{3b+2s+L} = (-1)^{3(b-L)+2s}$$

If indeed R is conserved: **There is a lightest SUSY particle (LSP)**

**SUSY particles are produced in pairs**

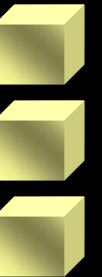






## *Other Motivations for SUSY*

- Biggest possible symmetry of interacting QFTs
  - (Lorentz sym.)  $\oplus$  (gauge sym.)  $\oplus$  (SUSY)
- The only way known which allows unification of Gravity with the other interactions
- Provides a natural candidate for Dark Matter.



# *SUSY Breaking Models*

The most general case has 105 free parameters.

Must make some simplifications in order to have a predictive theory: The easiest way – assume boundary conditions at the Planck scale, namely:

1. Common scalar mass  $m_0$
2. Common gaugino mass  $m_{1/2}$
3. Common trilinear scalar interaction  $A$

These, together with the parameters of the Higgs sector:

4. Ratio of vevs of two Higgs fields  $\tan\beta$
5. Sign of Higgs mass parameter  $\mu$


Define the whole model



## *Alternative Procedures*

The mSugra, which was defined in the previous slide is not the only way. SUSY can be broken in a hidden sector somewhere in an intermediate scale ( $M$ ) between the Planck and electroweak ones. The amount of SUSY breaking is a fundamental parameter ( $\Lambda$ ), and the coupling of the LSP which is the gravitino in this model to the NLSP is another ( $\kappa$ ). Thos together with the Higgs sector parameters ( $\tan\beta$  and  $\mu$ ) define the so called Gauge Mediated model (GMSB)

... and there are other models like AMSB, FMSB etc. and nobody knows if one of these models is right





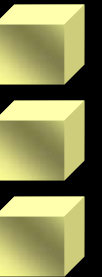
## *How will SUSY be seen?*

There are many models. Each has many parameters.

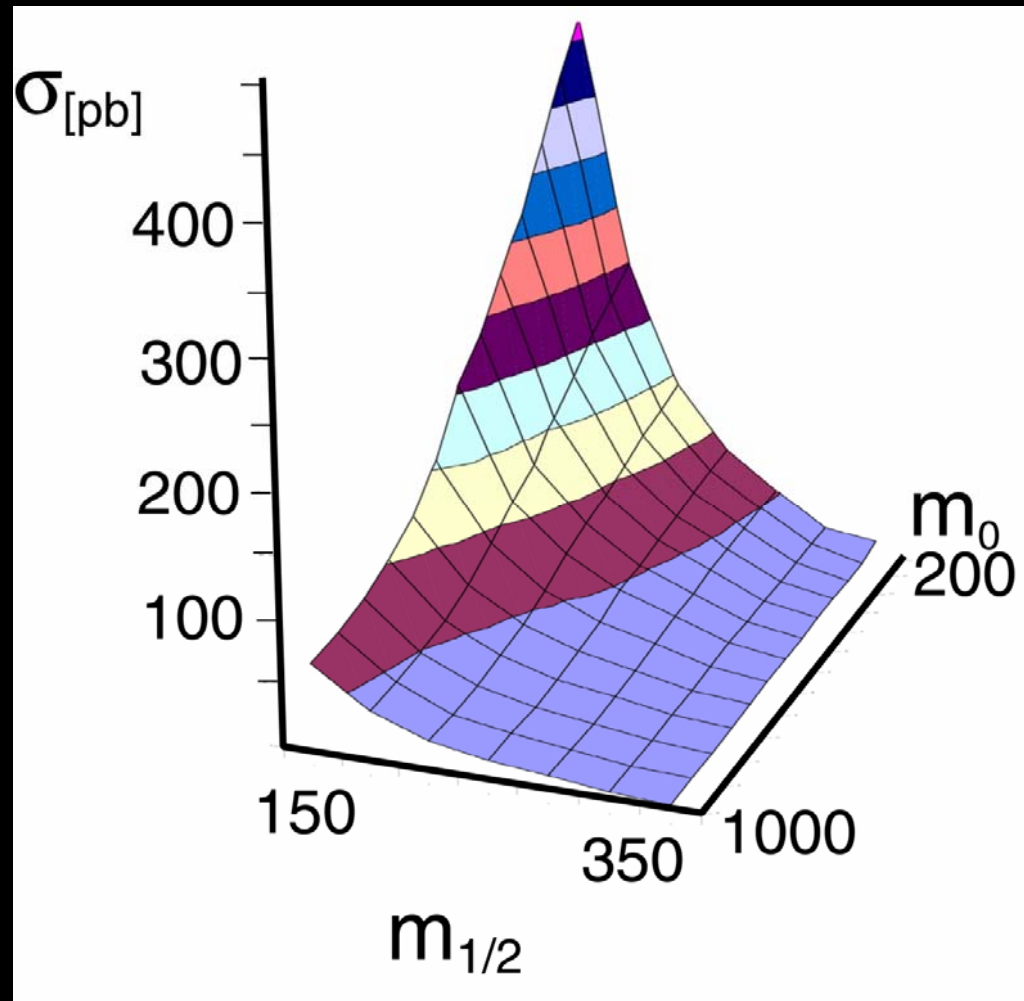
Each set of parameters in each of the models gives rise to a different mass spectrum. The mass spectrum defines how will the signal look.

Not knowing which is the right model and which are the values of the parameters implies that:

*We do not know which signals will SUSY leave in our detectors !!!!!*



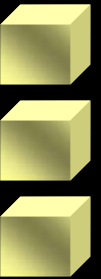
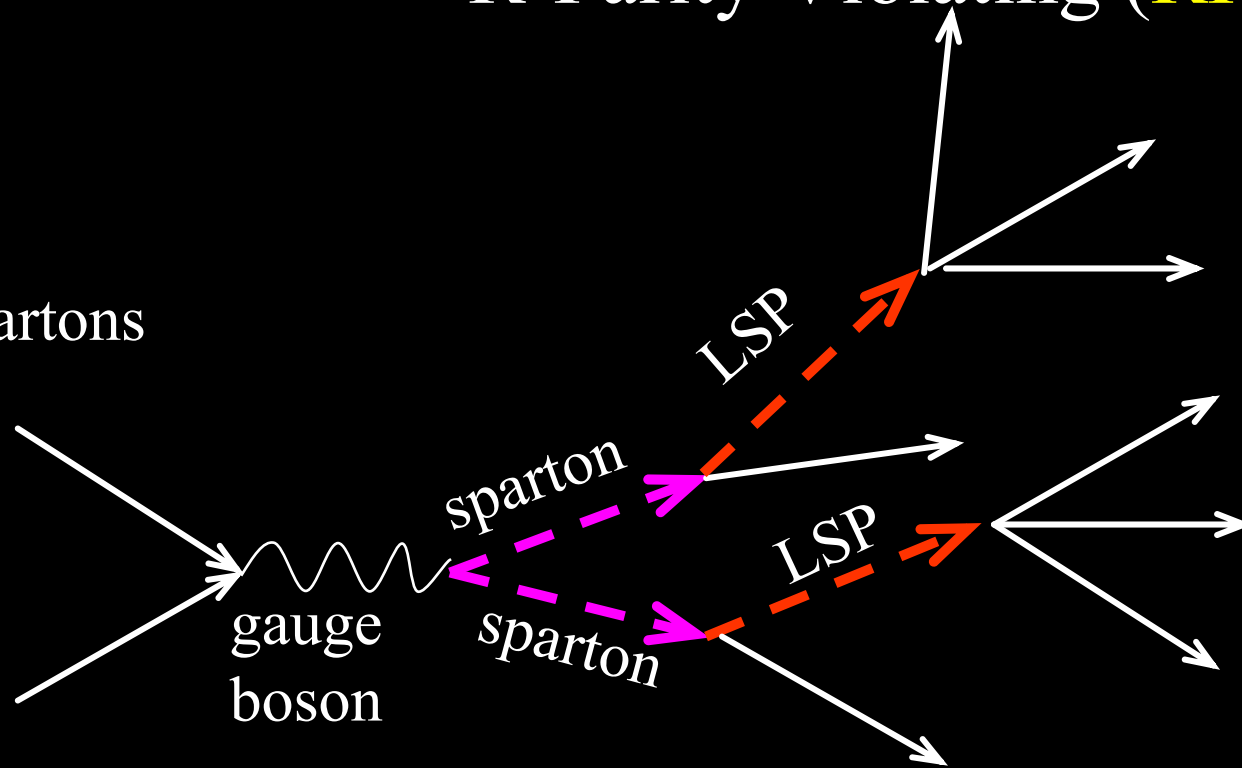
# *Potentially Huge Cross-Section*



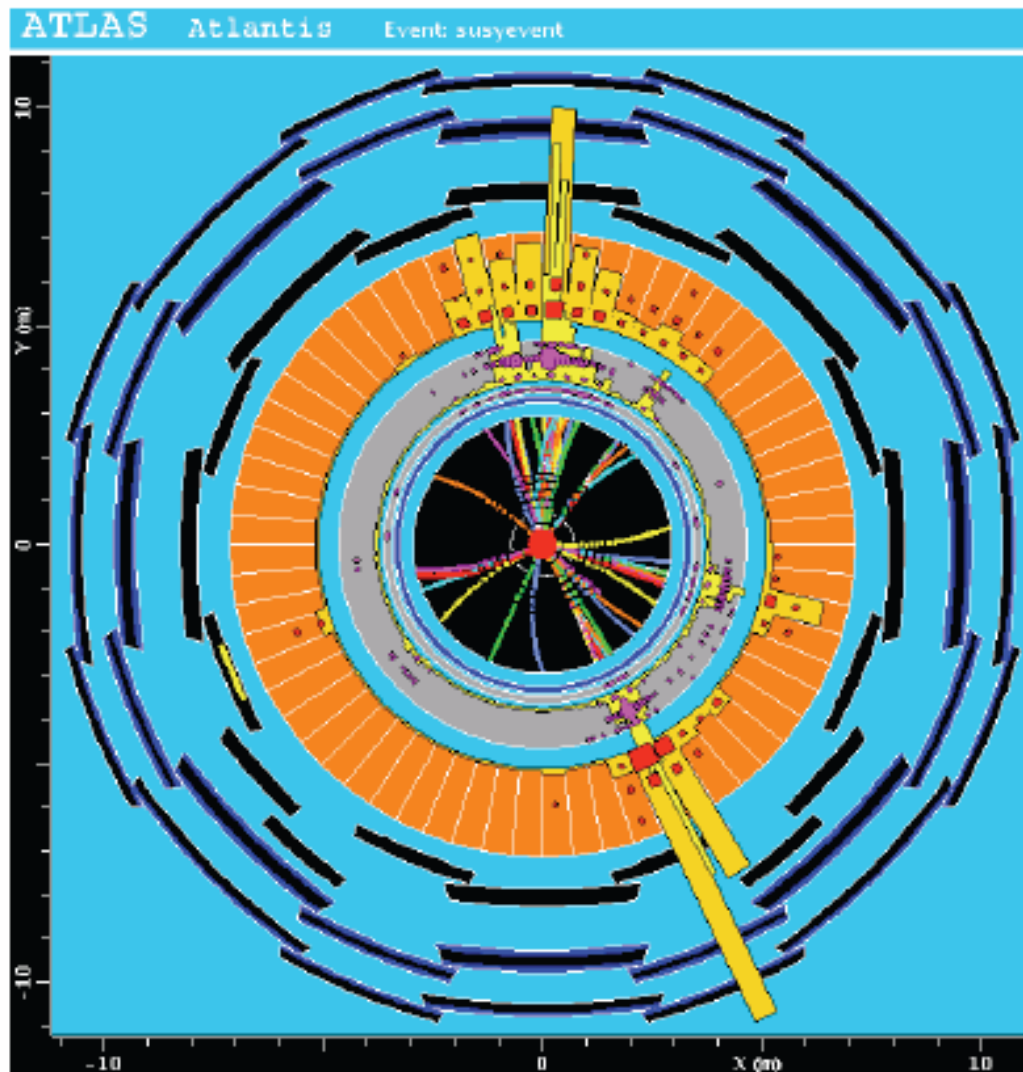
# *Search Strategies*

Basic separation: R-Parity Conserving (RPC)  
R-Parity Violating (RPV)

2 partons

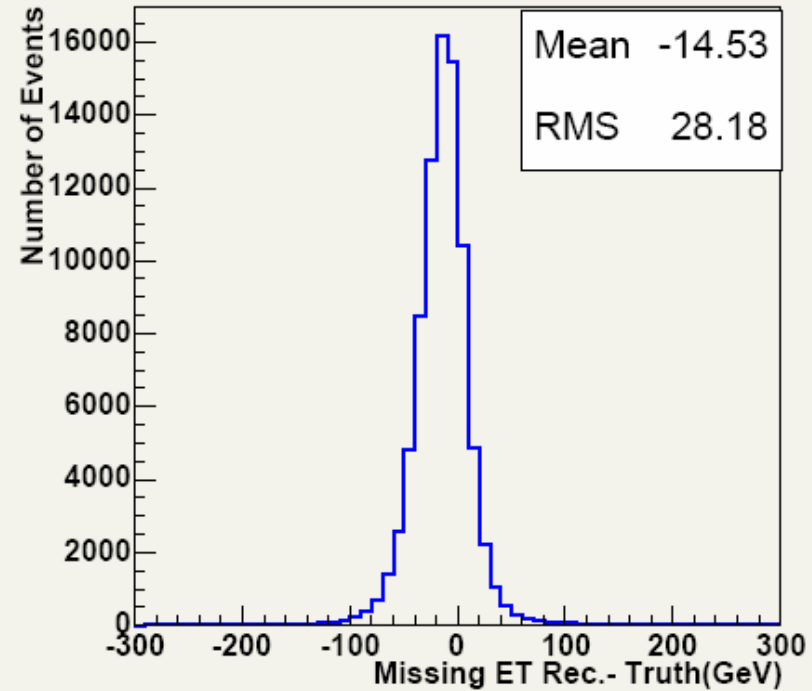
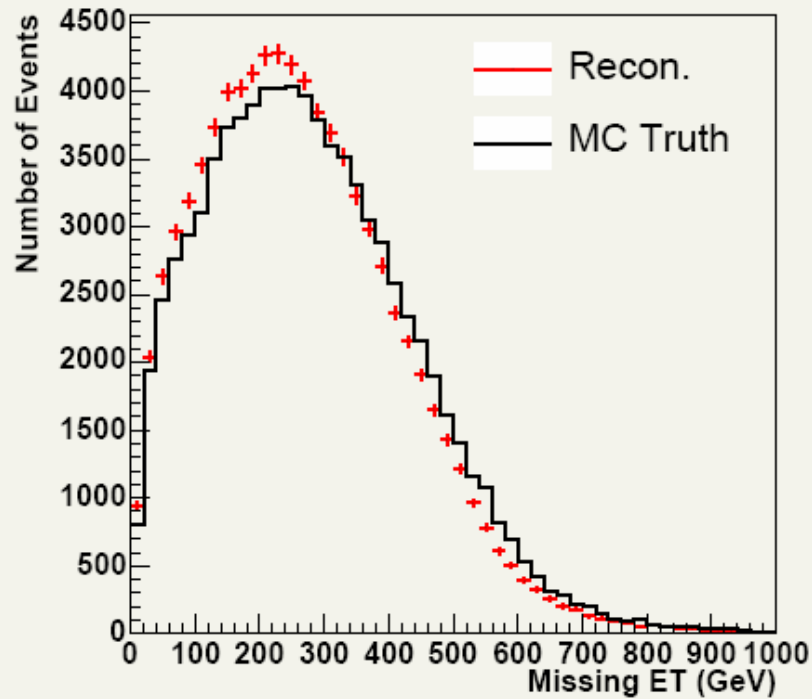


# *Simulated event*



$E_T^{\text{miss}}$  and high  $P_T$  jet are  
key for discovery of SUSY

# Missing ET reconstruction



10 ÷ 20 GeV Shift Observed in all the samples.



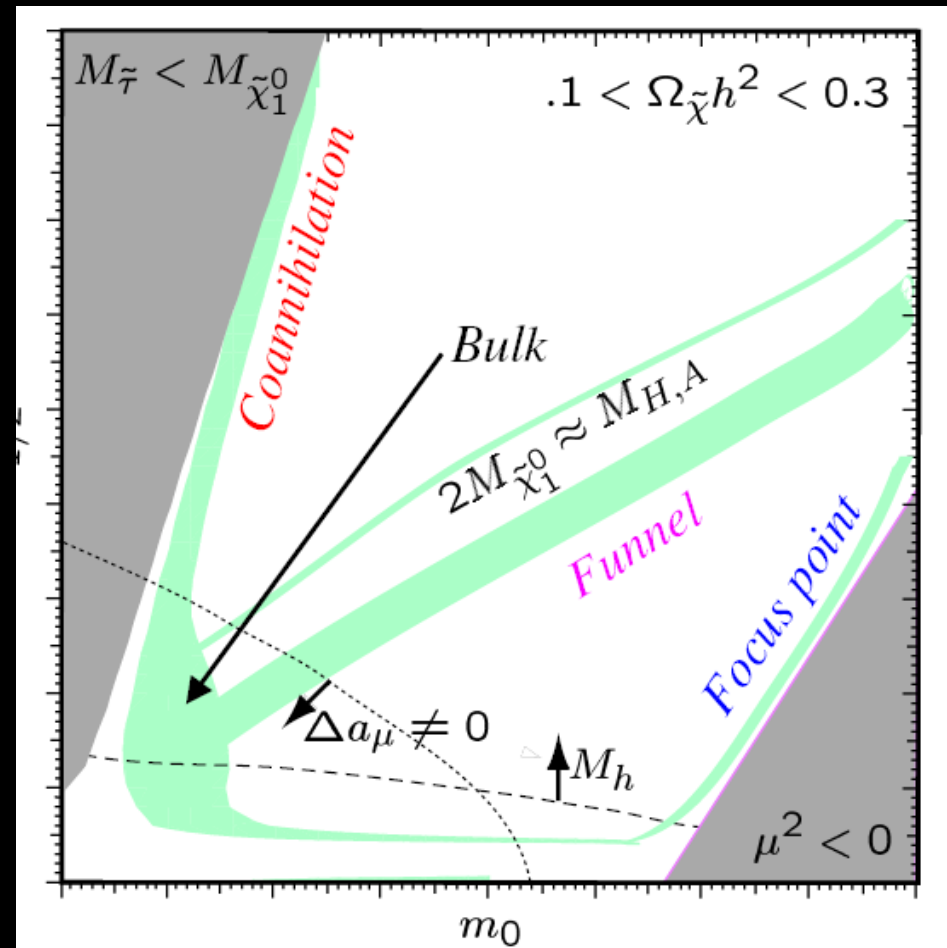
# Model Driven: MSSM

Model driven analyses are relatively easy (you know what you are looking for). The most popular model is MSSM. Lots of physics input is injected in order to focus the work on 'more likely' regions

coannihilation

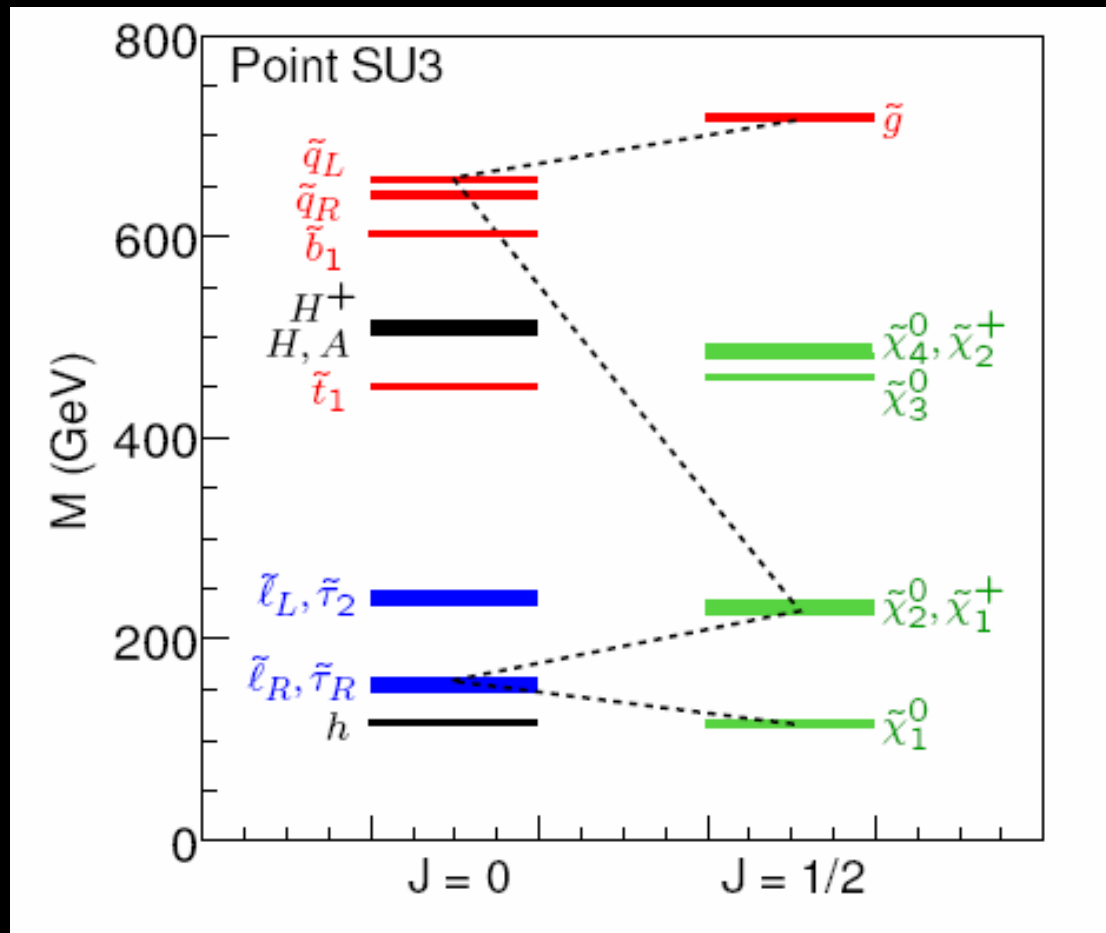


Focus small  $\mu$  higgsino annihilates.



# Typical Mass Spectrum

MSSM



LSP is  $\chi^0$

$M_h < 135$  GeV

$q_L > q_R$

$$M_{\tau_1} < M_{\tau_2}$$





# *An example*

Coannihilation point: light stau in equilibrium with the LSP  $\chi$  leading to



Have selected several mSUGRA points consistent with WMAP  $\Omega h^2$  for detailed study. Do not believe mSUGRA, but use it to suggest interesting possible spectra. Typically  $\sigma \gtrsim 1 \text{ pb} \Rightarrow$  early discovery physics.

**Point SU1:** Point in coannihilation region ( $\sigma_{\text{LO}} = 6.8 \text{ pb}$ ):

$$m_0 = 70 \text{ GeV}, \quad m_{1/2} = 350 \text{ GeV}, \quad A_0 = 0, \quad \tan \beta = 10, \quad \text{sgn} \mu = +$$

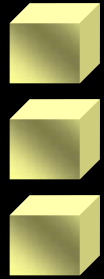
Small mass splitting for *both*  $\tilde{\ell}_L$  and  $\tilde{\ell}_R$ :

$$M(\tilde{\chi}_2^0) - M(\tilde{\ell}_L) = 8.5 \text{ GeV}, \quad M(\tilde{\ell}_R) - M(\tilde{\chi}_1^0) = 17 \text{ GeV}$$

$$M(\tilde{\chi}_2^0) - M(\tilde{\tau}_2) = 6.6 \text{ GeV}, \quad M(\tilde{\tau}_1) - M(\tilde{\chi}_1^0) = 9.5 \text{ GeV}$$

Issues: reconstruction of soft leptons and  $\tau$ 's,  $\tau$  measurements, small  $h \rightarrow b\bar{b}$  signal.





# *Another Example*

The 'funnel' where H and A poles enhance the annihilation for large  $\tan\beta$   $2M_{\tilde{\chi}}=M_H$

**Point SU6:** Funnel region point ( $\sigma_{LO} = 4.5$  pb):

$$m_0 = 320 \text{ GeV}, \quad m_{1/2} = 375 \text{ GeV}, \quad A_0 = 0, \quad \tan\beta = 50, \quad \text{sgn}\mu = +$$

Wide  $H, A$  for  $\tan\beta \gg 1$  enhances annihilation. Dominant  $\tau$  decays:

$$B(\tilde{\chi}_2^0 \rightarrow \tilde{\tau}_1 \tau) = 96\%, \quad B(\tilde{\chi}_1^+ \rightarrow \tilde{\tau}_1^+ \nu_\tau) = 95\%$$

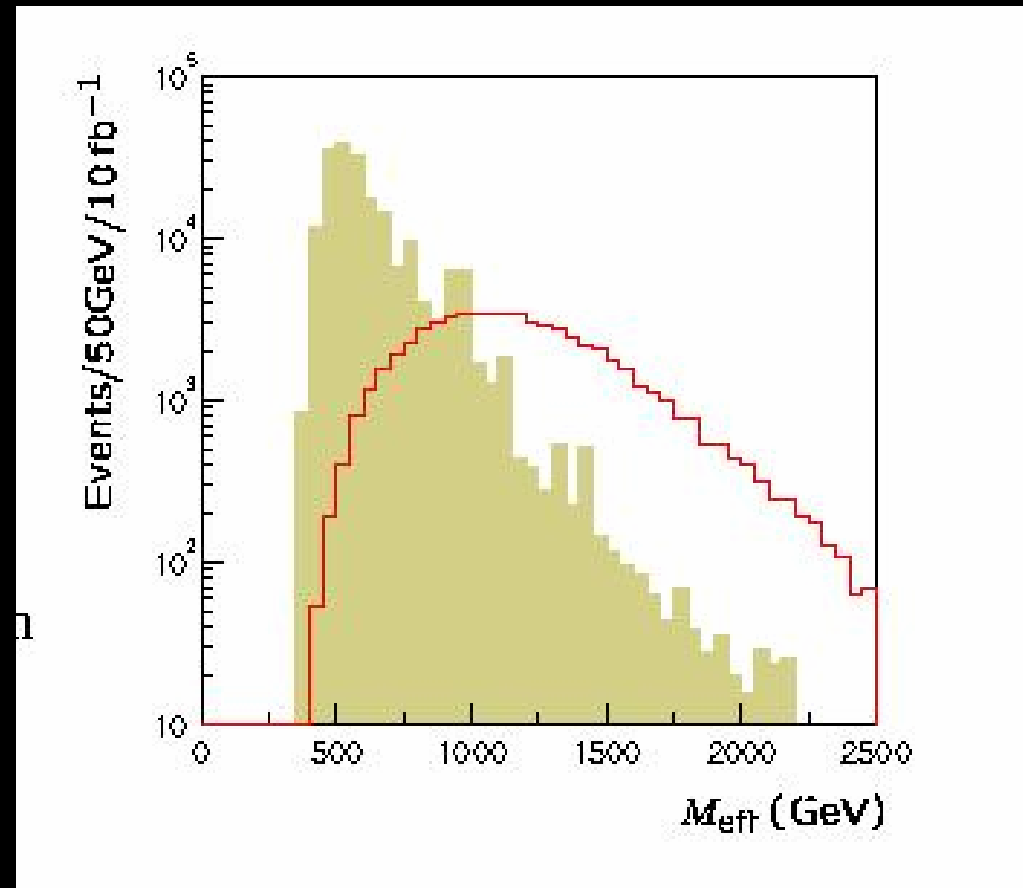
Issues:  $\tau$  identification,  $\tau$  measurements. Measure  $\tau$  polarization?



# *Easy Selection*

A common feature for almost all RPC points is large missing transverse momentum and large number of high PT jets. One can combine those in

$$M_{eff} = E_T + \sum_j E_{T,j}$$



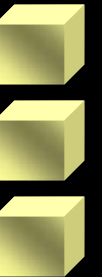


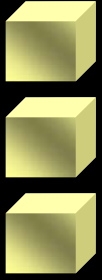
# *Inclusive Searches*

- \* Look for events in which heavy objects are pair produced.
- \* Look for events with high missing  $E_T$

Characterize each event by:

- Missing  $E_T$ ;
- $P_t^{\text{Jet1}}$  – transverse momentum of 1<sup>st</sup> jet;
- $P_t^{\text{Jet2}}$  – transverse momentum of 2<sup>ed</sup> jet;
- $\sum_{j=1}^{njet} E_T^{jet}$  – sum of the  $E_t$  of all jets;



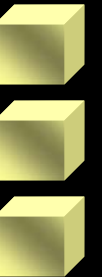


# *The LSL Algorithm*

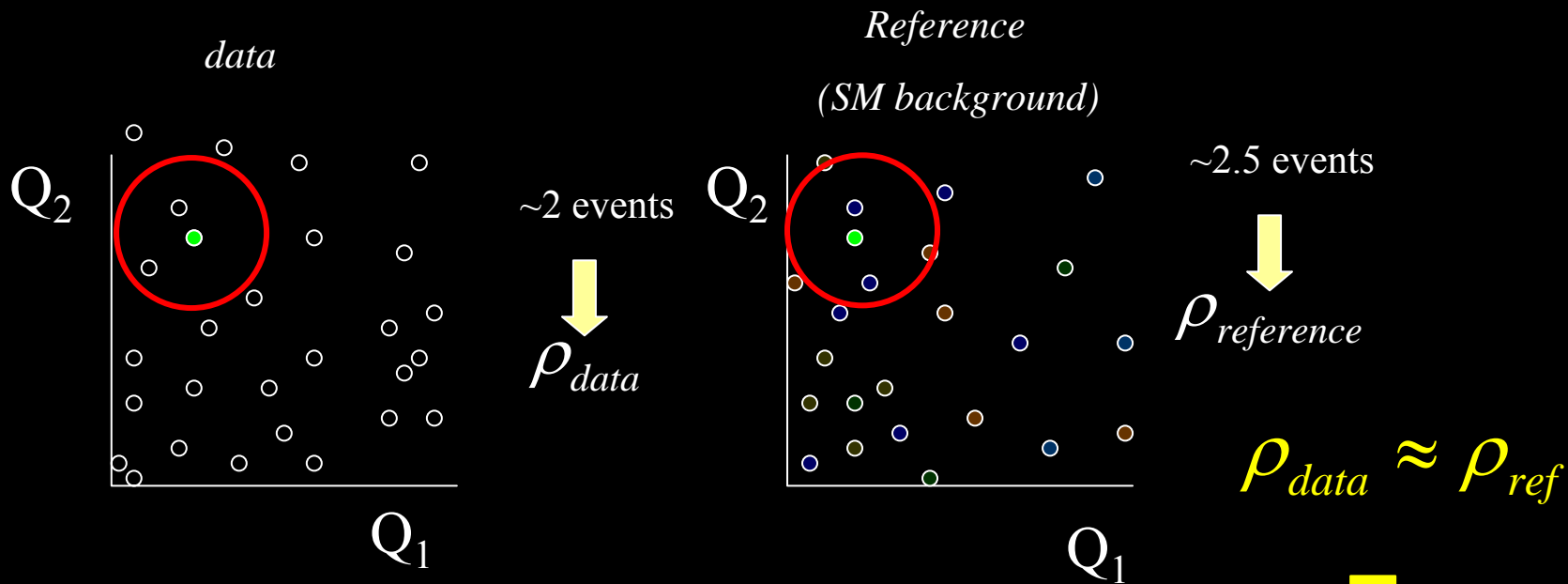
The Local Spherical Likelihood (LSL) algorithm is based on the k-neighborhood one.

Preparation:

- Select the relevant quantities, say  $N$  (separators);
- Normalize the separators to  $[0,1]$ ;
- Simulate all known SM (Background) processes;
- Construct a '*reference*' n-dim space in which each b.g. event is represented by a point
- Repeat this procedure for data events and build the '*data*' space in which each data event is represented by a point



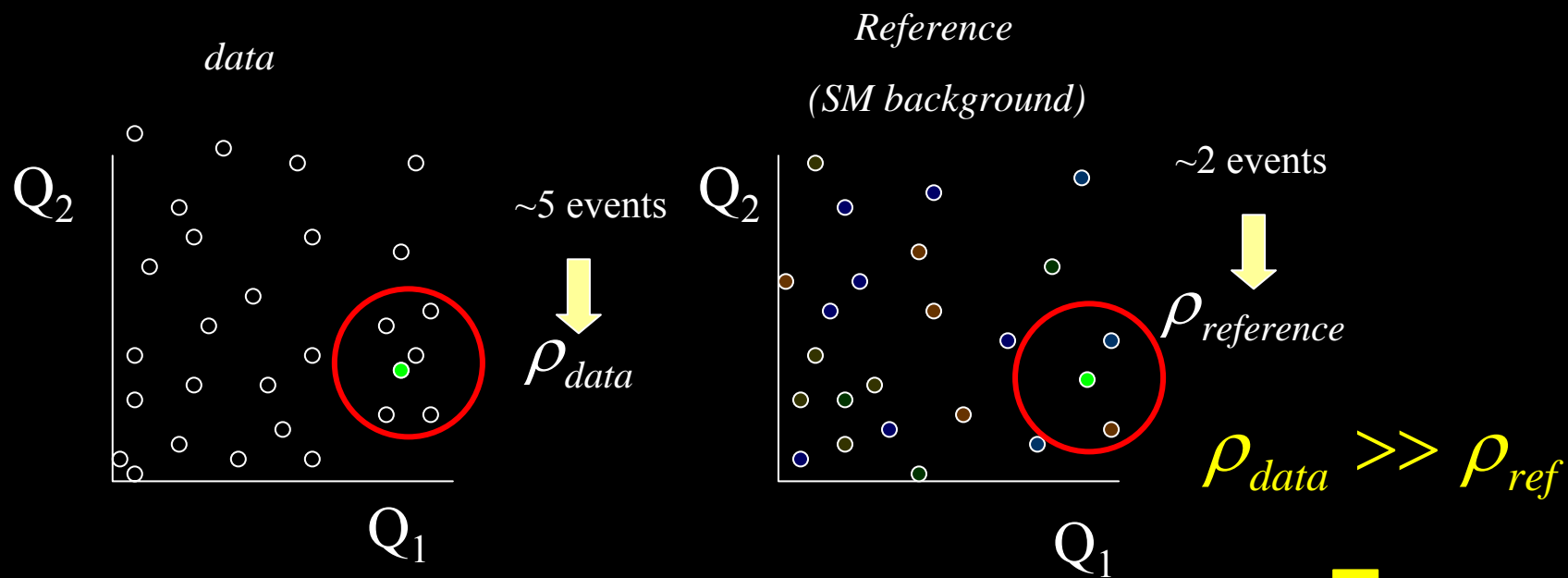
# How it Works (simplified)



No hint for a signal



# How it Works (simplified)



A hint for a signal

# *The SLEUTH Algorithm*

Same problem leads to similar solutions:

D0: SLEUTH: A *Quasi-model-independent search strategy for new physics*

Bruce Knuteson et al.

Beautiful and a bit  
more complex

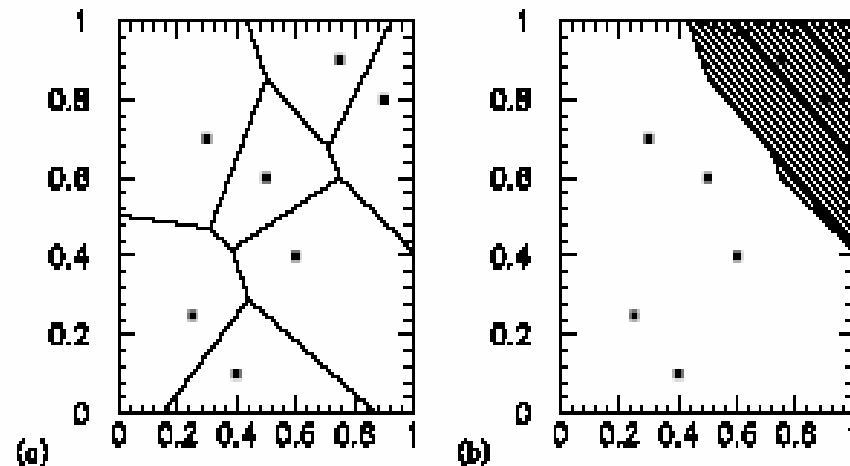
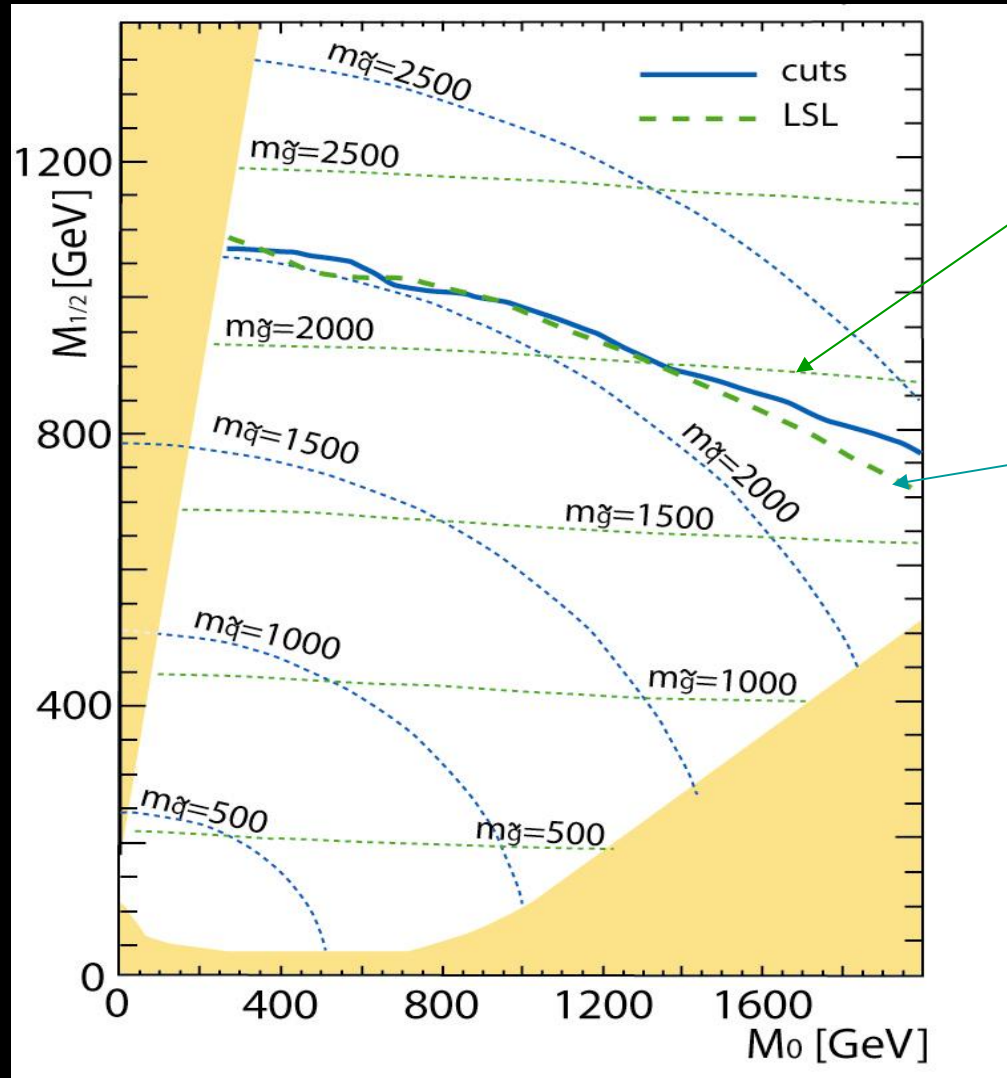


FIG. 2. A Voronoi diagram. (a) The seven data points are shown as black dots; the lines partition the space into seven regions, with one region belonging to each data point. (b) An example of a 2-region.

# MSSM Results – Missing Energy

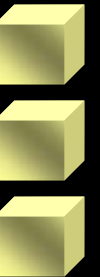
$M_{1/2}$



simplex results

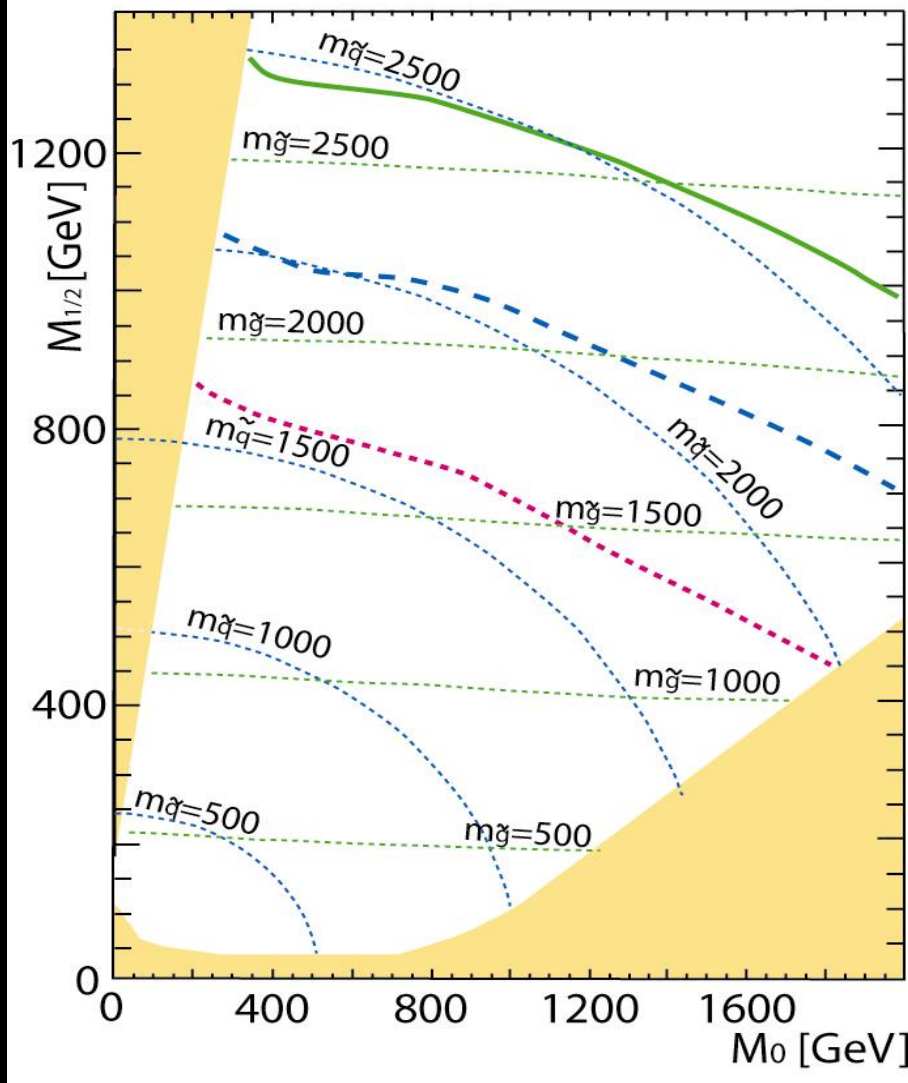
LSL

$m_0$



# MSSM Results – Sensitivity Evaluation

$M_{1/2}$

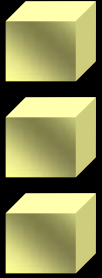


100  $\text{fb}^{-1}$

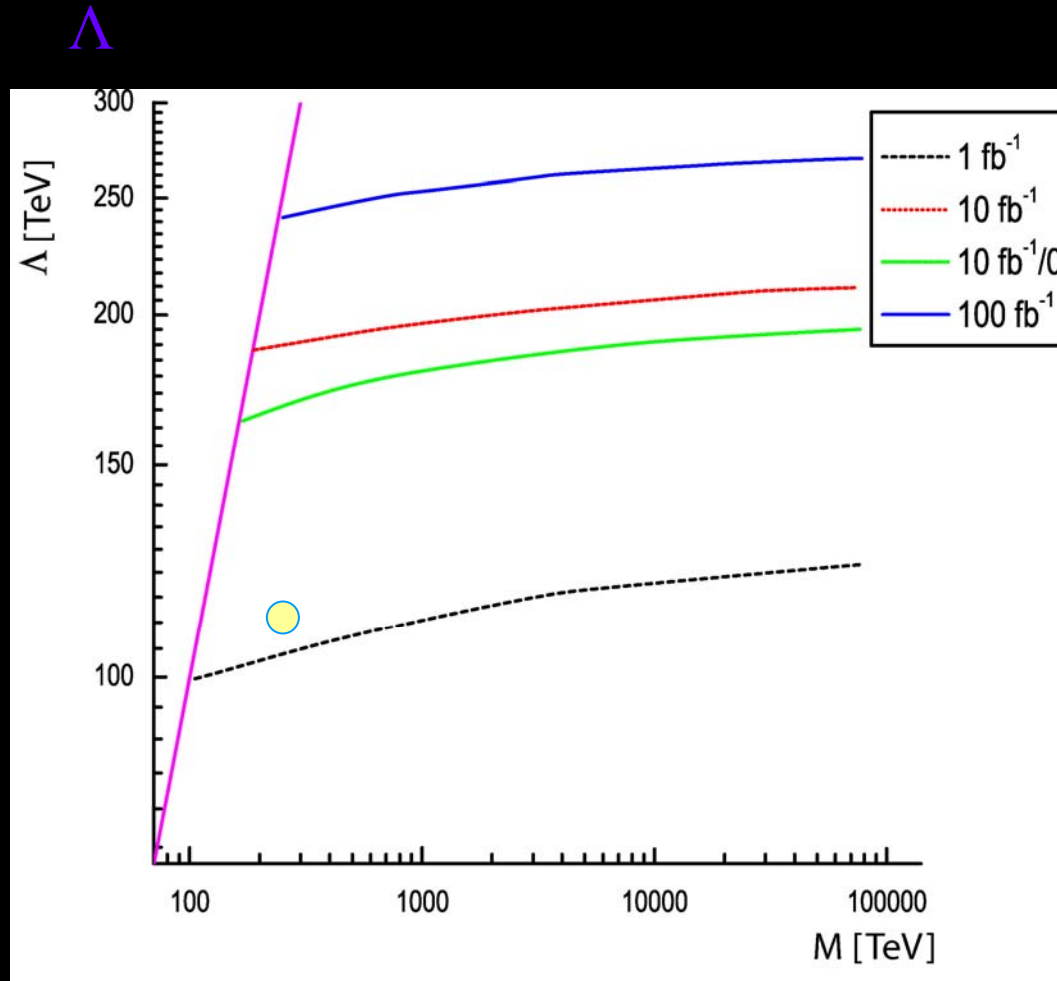
10  $\text{fb}^{-1}$

1  $\text{fb}^{-1}$

$m_0$



# Results - GMSB



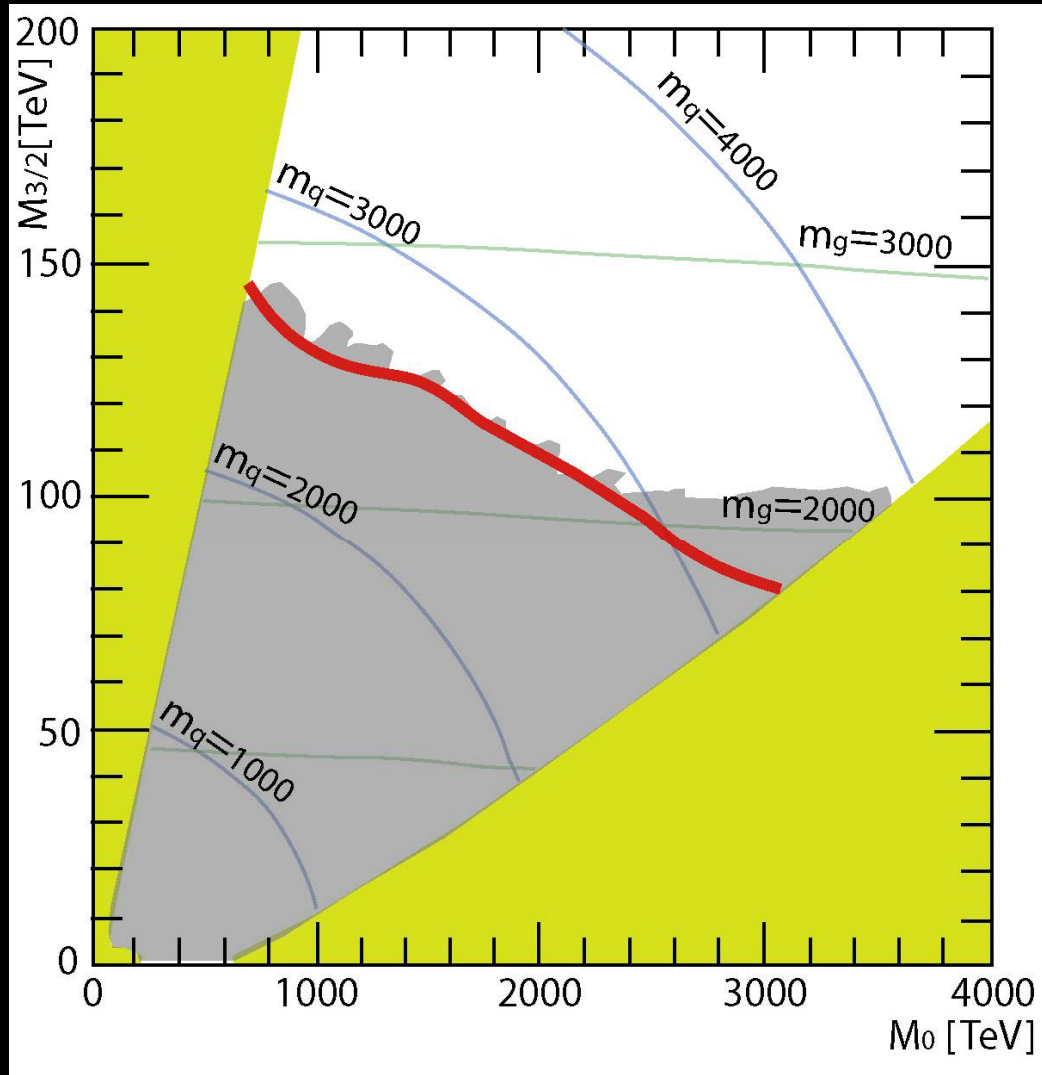
Sensitive  
up to  
 $\Lambda=120\text{TeV}$   
With lumi  
of just 1 fb<sup>-1</sup>

$M$



# Results - AMSB

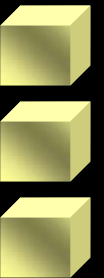
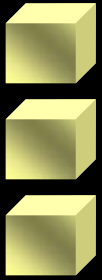
$M_{3/2}$   
[TeV]



$M_0$   
[TeV]

Comparison with  
A. J. Barr et al.

HEP-PH-0208214

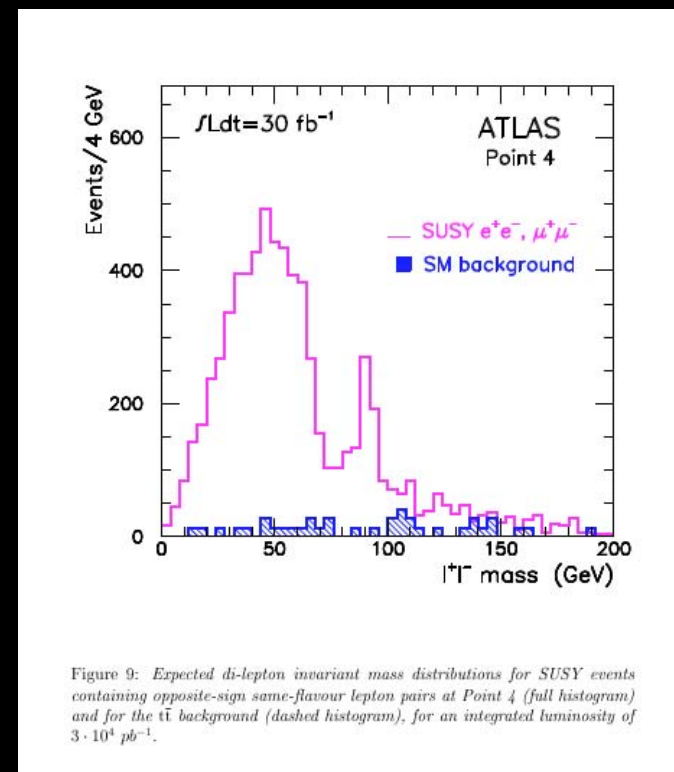


# Reconstruction of the mass Spectrum

Look for example on

$$\chi_2^0 \rightarrow \chi_1^0 l^+ l^-$$

One can compute the di-lepton mass and it will attain a maximum when the  $\chi_1^0$  is at rest in the  $\chi_2^0$  frame. A typical  $M_{ll}$  distribution looks like



# Next Step- Reconstruction

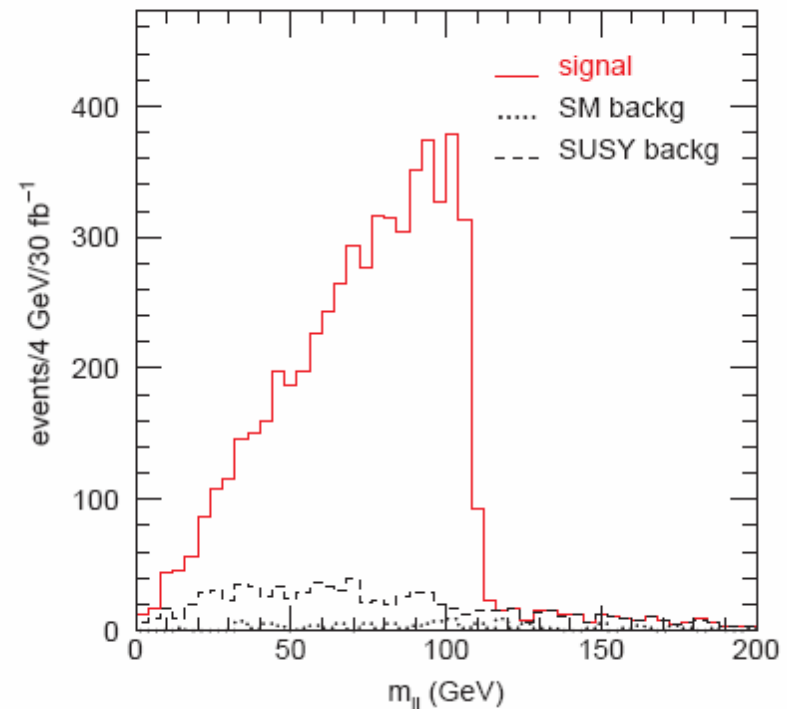
Look at 'simple' processes.

$$\chi_2^0 \rightarrow \tilde{l}_R l \rightarrow \chi_1^0 l^+ l^-$$

One can reconstruct the invariant mass of the di-leptons which follows

$$M_{ll}^{\max} = M(\tilde{\chi}_2^0) \sqrt{1 - \frac{M^2(\tilde{l}_R)}{M^2(\tilde{\chi}_2^0)}} \sqrt{1 - \frac{M^2(\tilde{\chi}_1^0)}{M^2(\tilde{l}_R)}}$$

And gives rise to a mass spectrum like:





# Info from jet+lepton

Looking at the invariant mass of jets and leptons also can provide information

$$M_{llq}^{\max} = \left[ \frac{(M_{qL}^2 - M_{\chi_2^0}^2)(M_{\chi_2^0}^2 - M_{\chi_1^0}^2)}{M_{\chi_2^0}^2} \right]^{1/2}$$

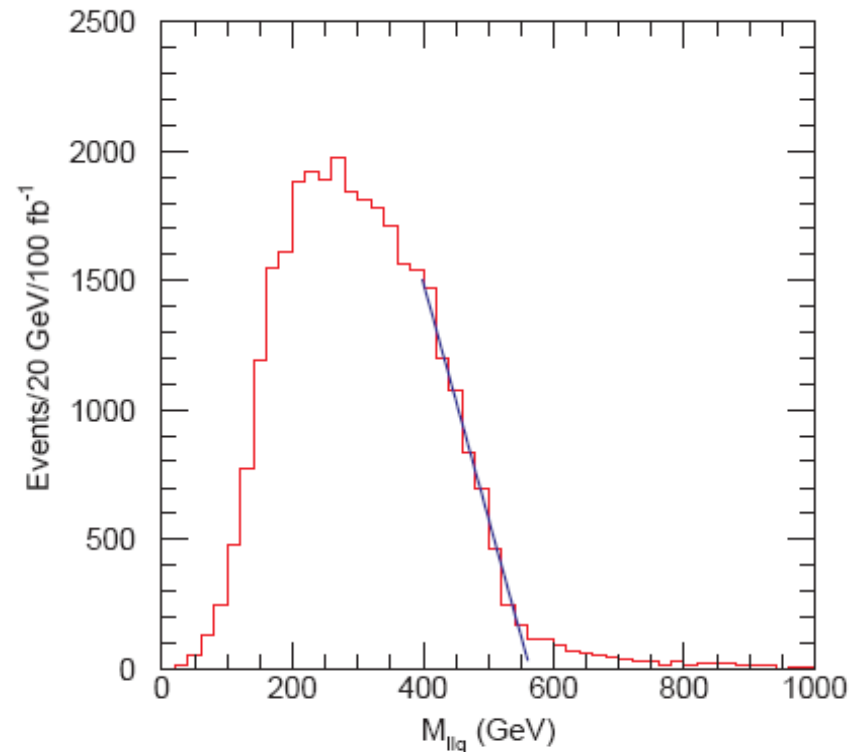
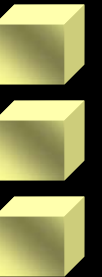


Figure 20-20 Smaller of the two  $l^+l^-q$  masses for the signal at Point 5.



## *Limitations of 'end-point' technique*

- Use only small part of the data → large statistics
- Events are not fully reconstructed since the LSP is always missing
- Often signal comes from several cascades which leads to mix-up



# Using 'mass relation'

The idea is to completely solve the kinematics of the SUSY cascade decay by using the assumption that the selected events satisfy the same mass shell conditions of the sparticles involved in the cascade decay.

For a  $b\bar{b}l\bar{l}$  event, the equations contain the 4 unknown degrees of freedom of the  $\chi^0_1$  momentum. Each event therefore describes a 4-dimensional hyper-surface in a 5-dimensional mass parameter space, and the hyper-surface differs event by event. From the purely mathematical point of view 5 events would be enough to determine a discrete set of solutions for the masses of the involved sparticles,

$$\tilde{g} \rightarrow \tilde{b} b_2 \rightarrow \chi^0_2 b_1 b_2 \rightarrow \tilde{l} b_1 b_2 l_2 \rightarrow \chi^0_1 l_1 b_1 b_2 l_2$$

$$m_{\chi^0_1}^2 = p_{\chi^0_1}^2$$

$$m_{\tilde{l}}^2 = (p_{\chi^0_1}^2 + p_{l_1}^2)^2$$

$$m_{\chi^0_2}^2 = (p_{\chi^0_1}^2 + p_{l_1}^2 + p_{l_2}^2)^2$$

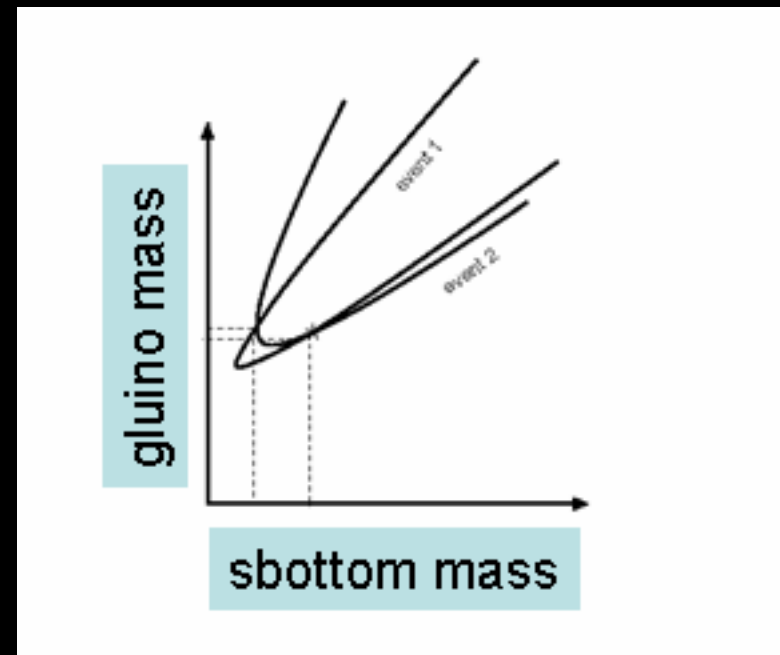
$$m_{\tilde{b}}^2 = (p_{\chi^0_1}^2 + p_{l_1}^2 + p_{l_2}^2 + p_{b_1}^2)^2$$

$$m_{\tilde{g}}^2 = (p_{\chi^0_1}^2 + p_{l_1}^2 + p_{l_2}^2 + p_{b_1}^2 + p_{b_2}^2)^2$$

# *Mass Relation*

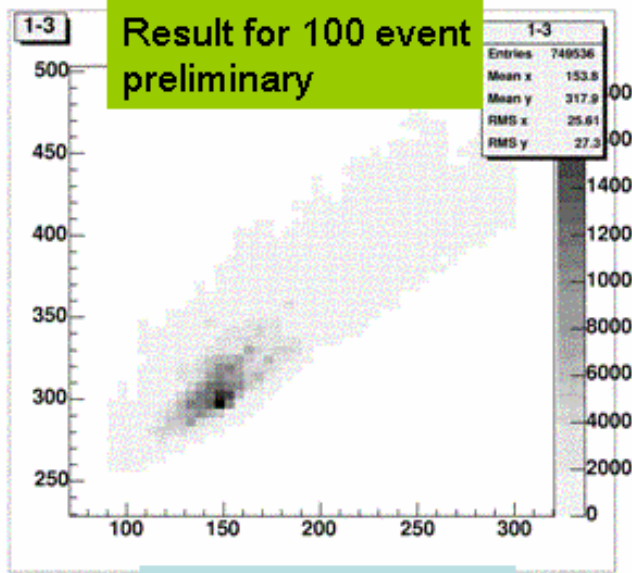
Assuming the mass of slepton and two neutralino are known (after some time of running) one is left with two unknown: the mass of the gluino and bino and two events are, in principle, enough to solve the puzzle

(Due to error of measurement and uncertainties we will need many more)



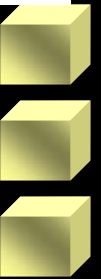
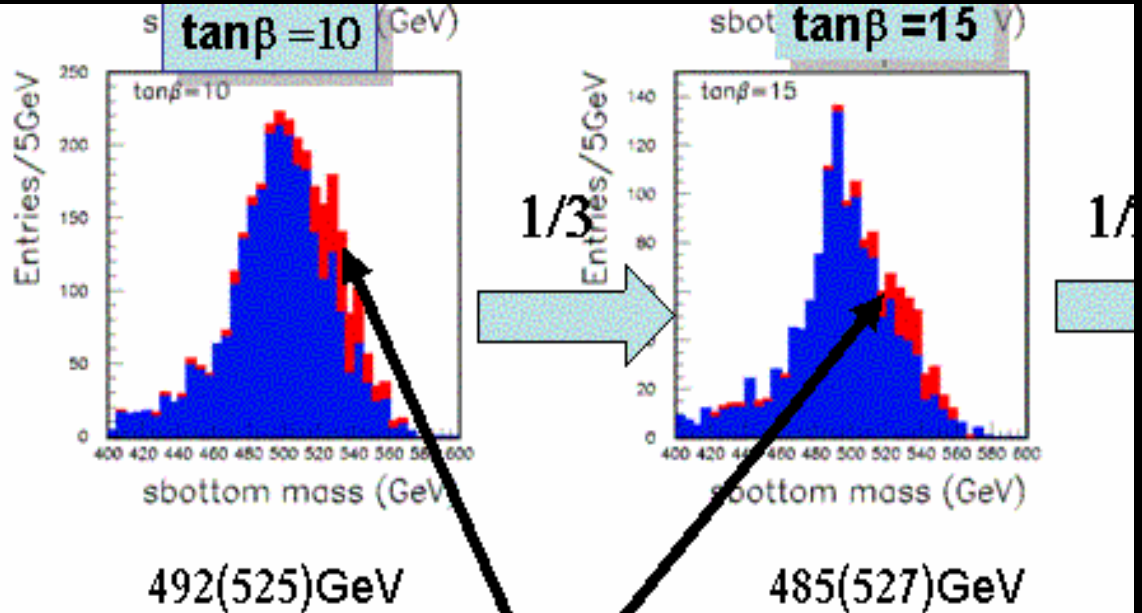
# Mass relation results

slepton mass

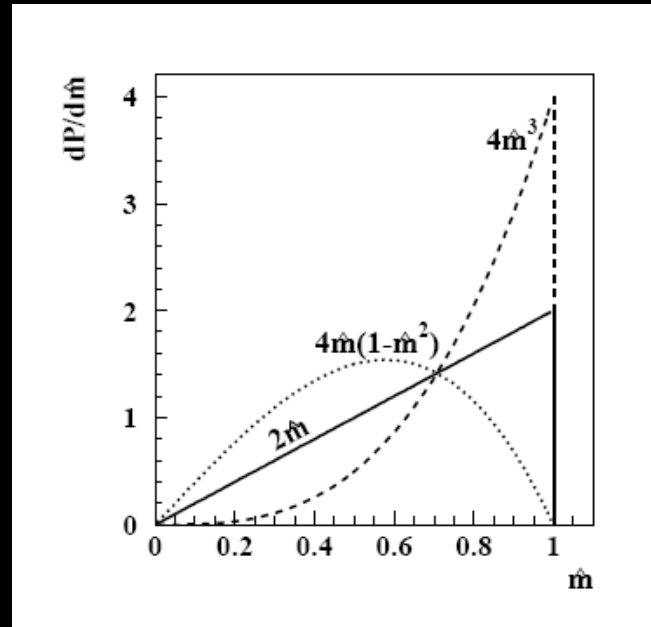
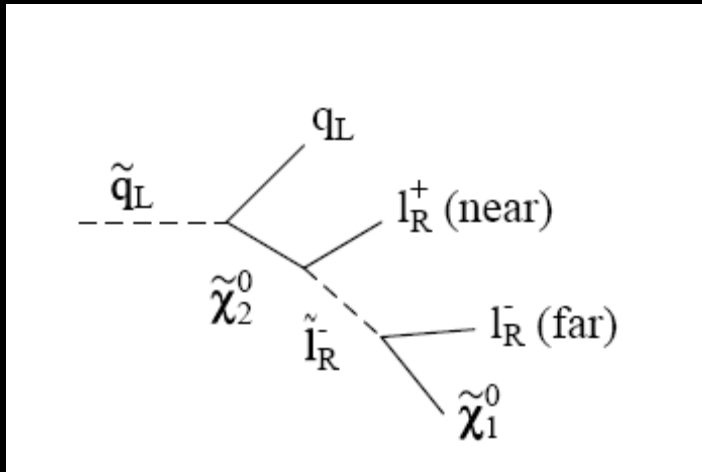


neutralino mass

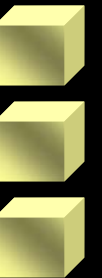
$$\frac{\sigma_{h1}}{\sigma_h} + (\frac{\epsilon_{h2}}{\sigma_h})^2 \quad (\text{Lester 2004})$$



# Closer look

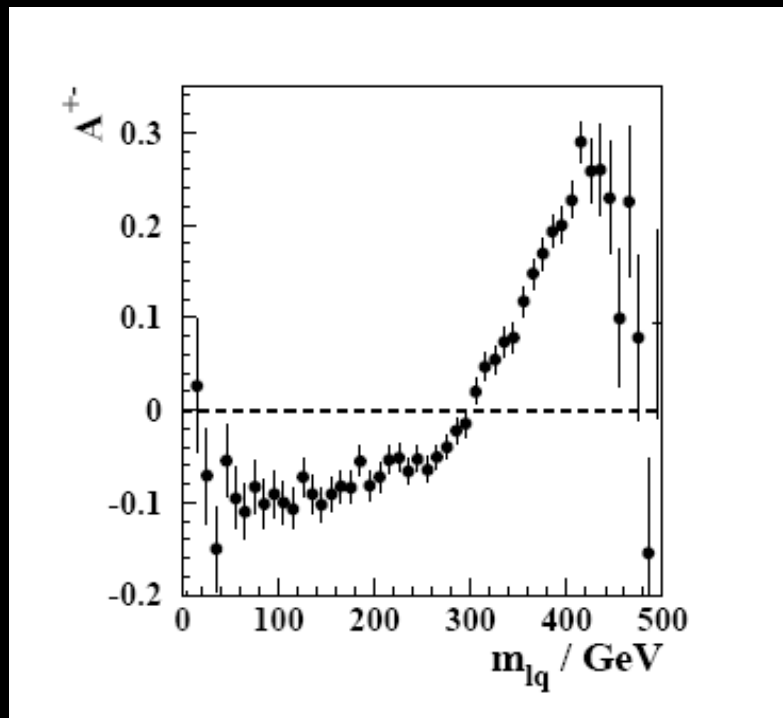


$$(m_{lq}^{near})^2 = (m_{\tilde{q}_L}^2 - m_{\tilde{\chi}_2^0}^2)(m_{\tilde{\chi}_2^0}^2 - m_{l_R}^2) / m_{\tilde{\chi}_2^0}^2 * \sin^2(\theta/2)$$

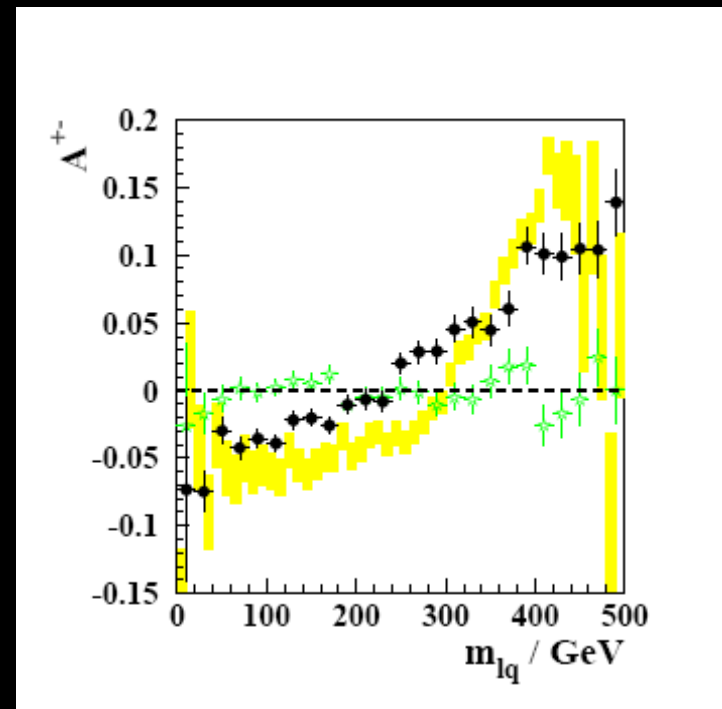


# Spin- using charge Asymmetry

$$A^{+-} \equiv \frac{s^+ - s^-}{s^+ + s^-}, \quad \text{where} \quad s^\pm = \frac{d\sigma}{d(m_{l\pm q})}.$$



Parton level



500 fb<sup>-1</sup> simulation





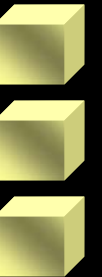
## *R-Parity Violating (RPV)*

No LSP – all is seen and reconstructed

Large number of jets

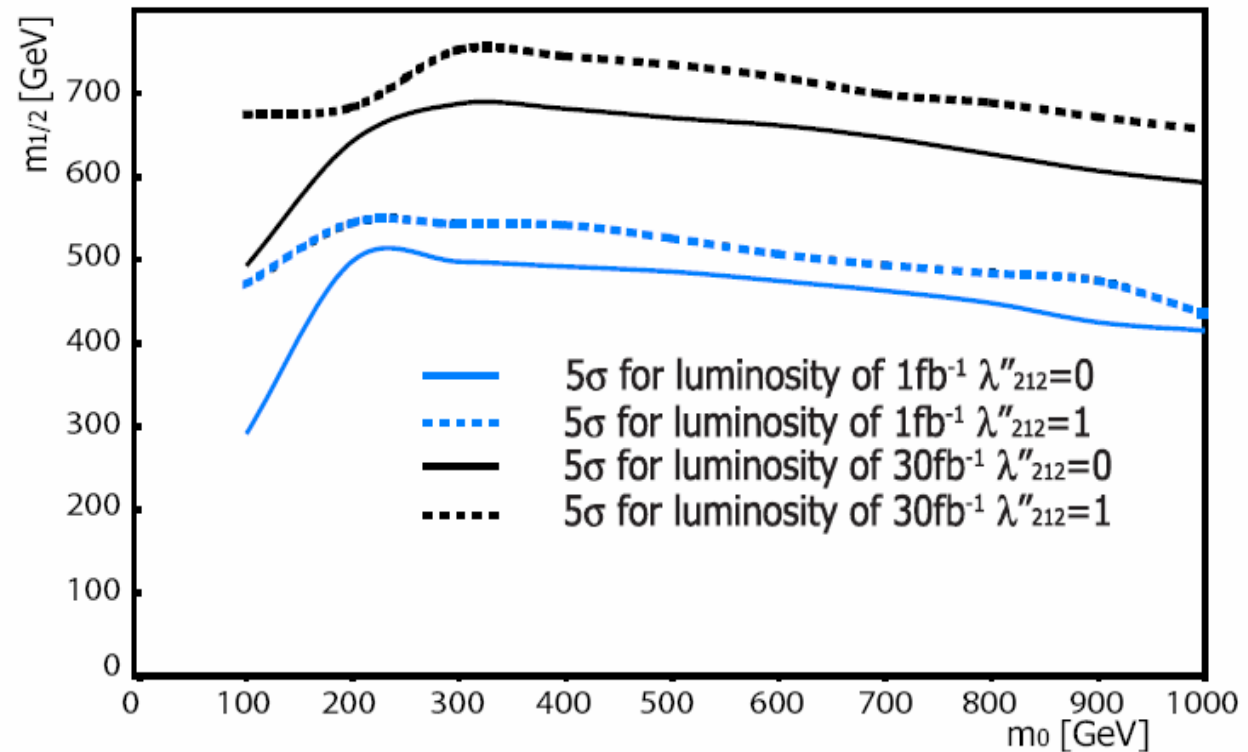
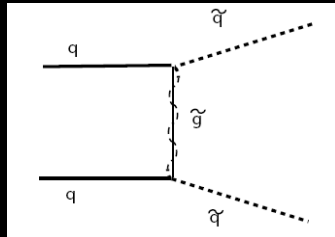
Large total transverse energy ( $M_{\text{eff}}$ )

To kill QCD usually require a lepton in the selection



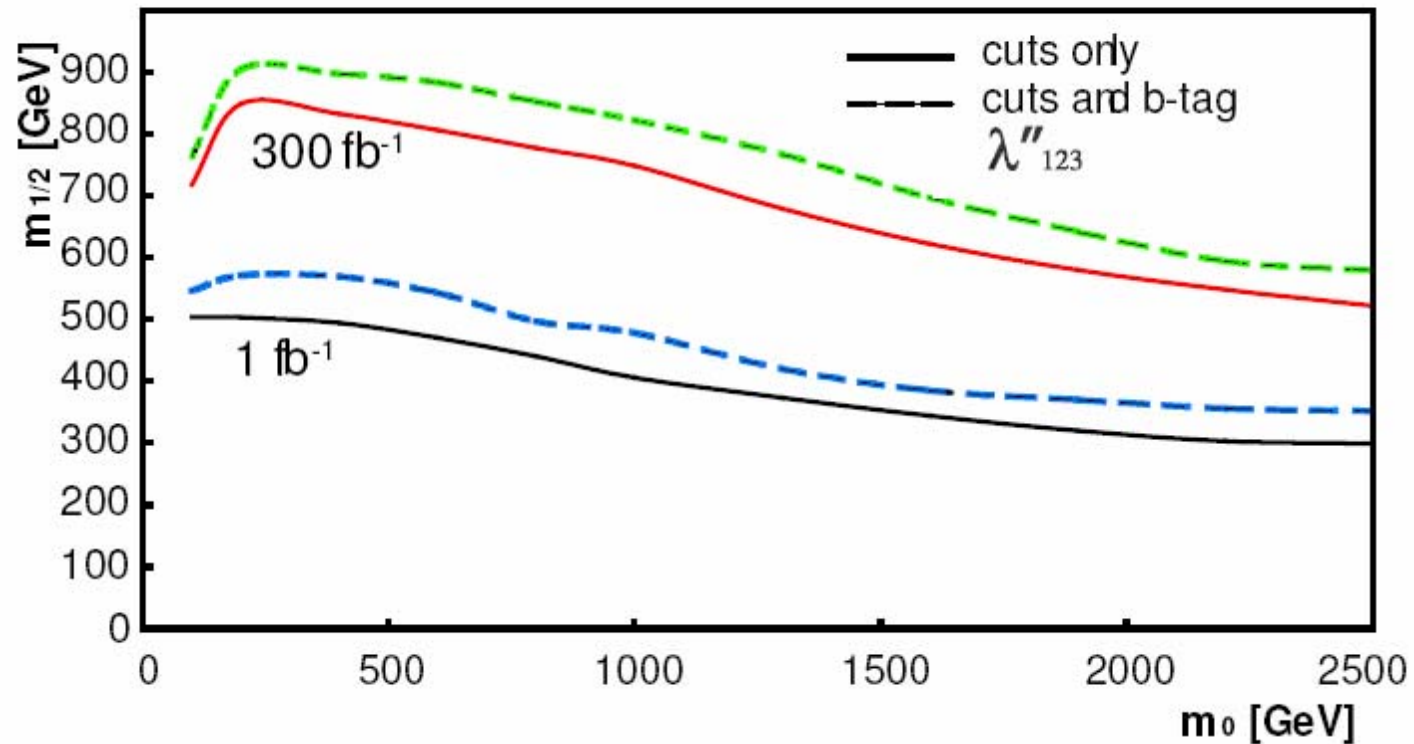


# Purely Hadronic RPV



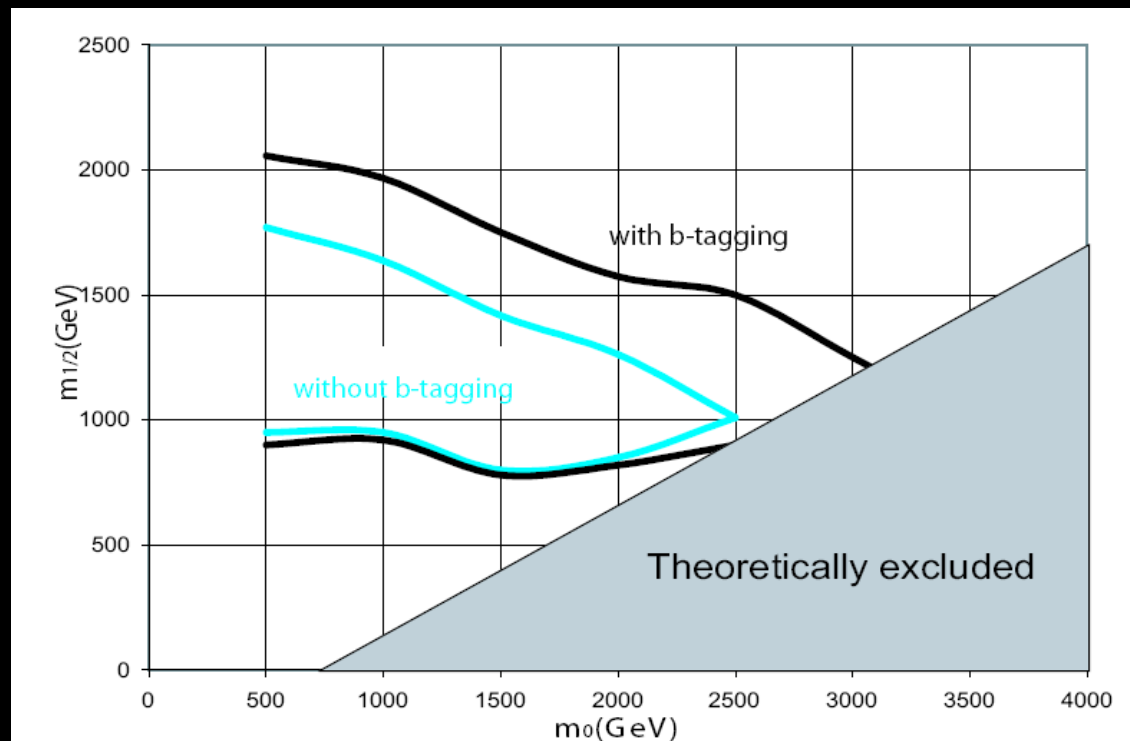
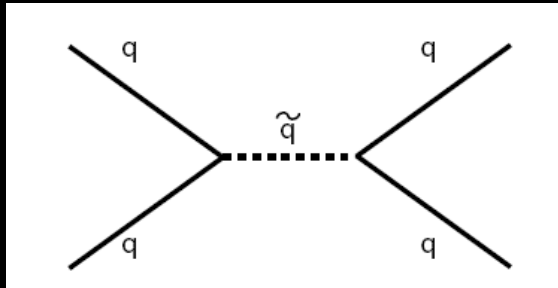
Include RPV coupling in RGE leads to a modification of the results

# *B-tag in RPV*

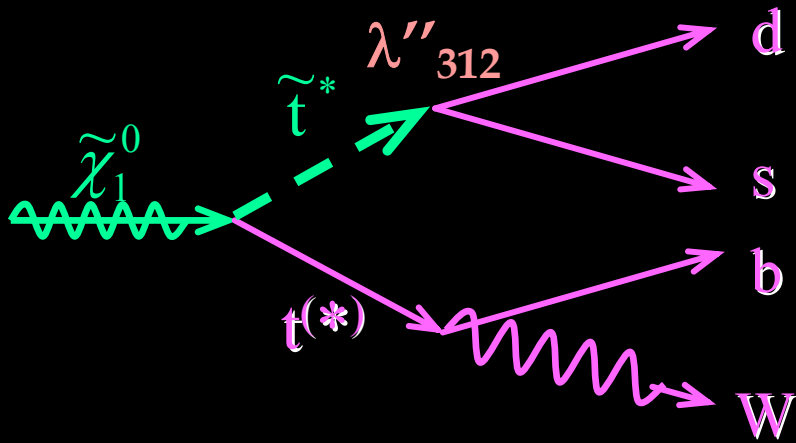


Inclusion of b-tag also improves the sensitivity in several cases

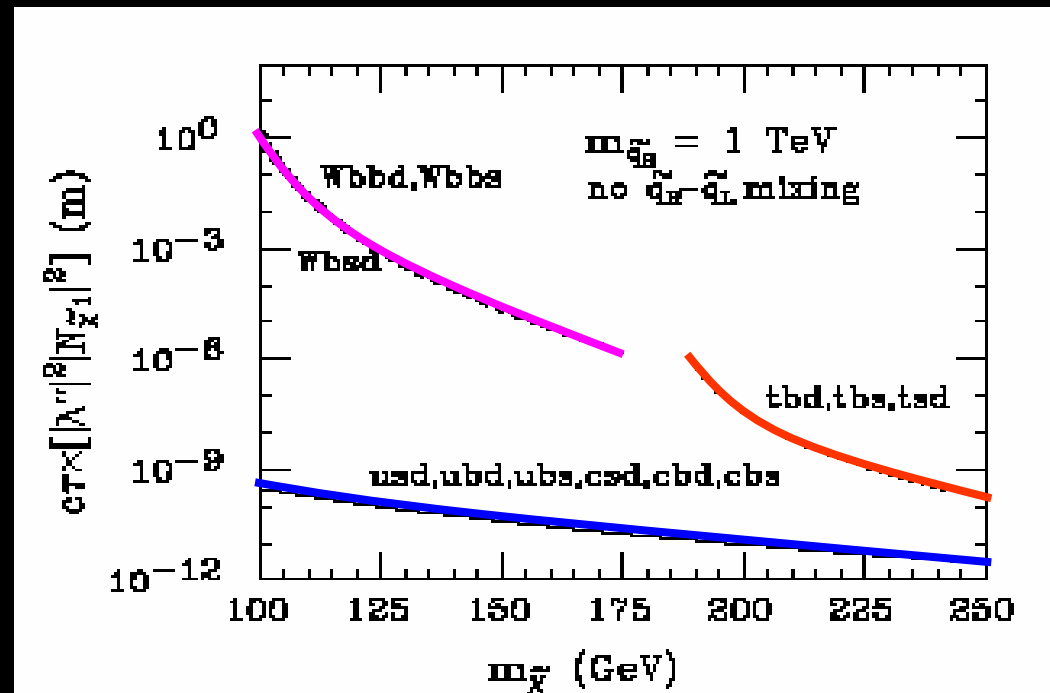
# Resonance channel



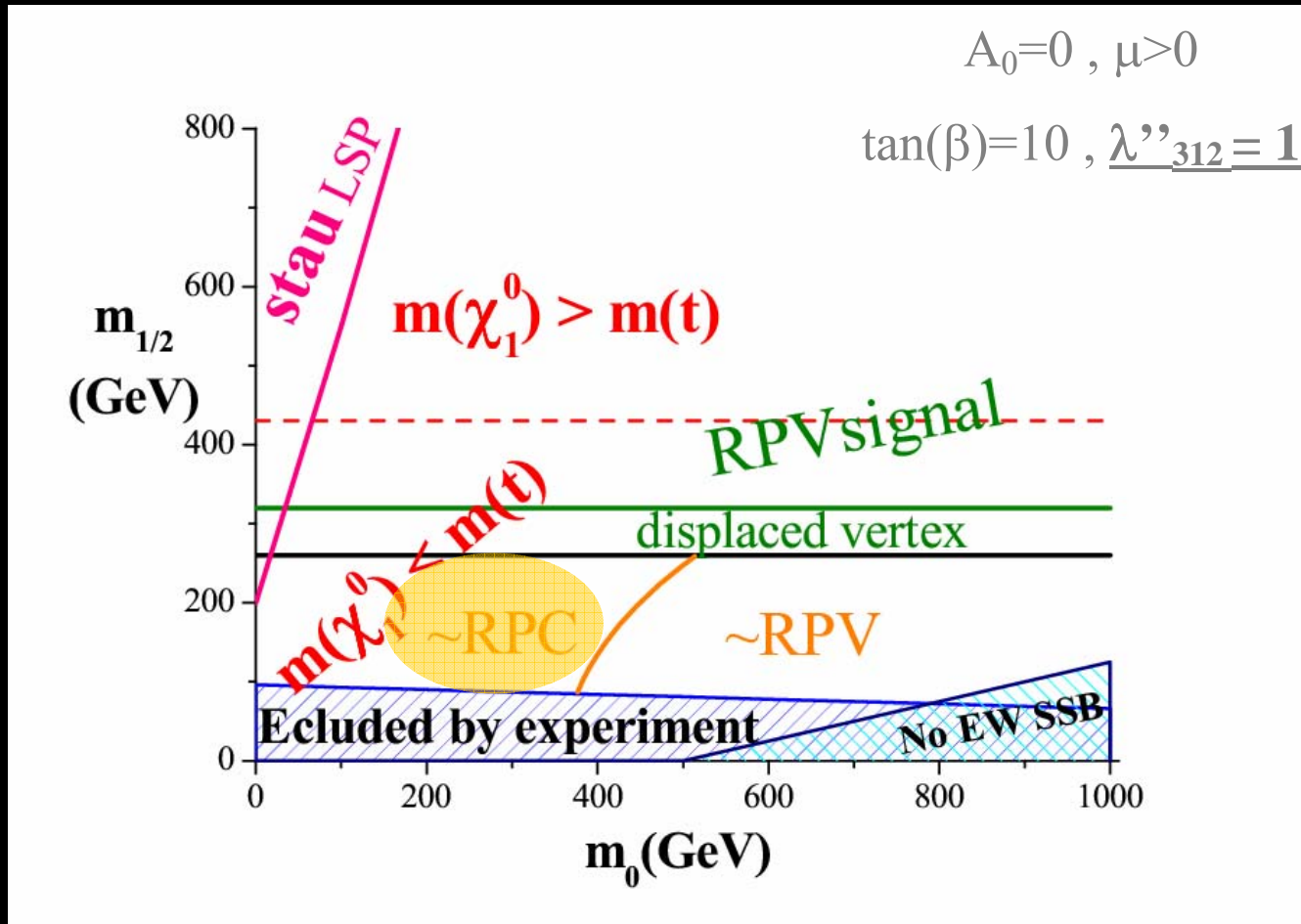
# Is RPV always distinguishable from RPC



But if  $M_{\tilde{\chi}} < M_t$  the decay is kinematically suppressed



# The Relevant parameter space





## *Concluding Remarks*

- The search for SUSY signals is probably the most challenging at LHC
- We do not know what are we looking for
- Once we find candidate events a long struggle to verify their identity as SUSY events, to identify the underlying SUSY breaking mechanism, and to measure various properties like mass, spin and couplings will begin.
- I did cover a negligible part of the exciting topic...and probably ran overtime 😊

